

Reg. No.

--	--	--	--	--	--	--	--	--	--

B.E. / B.TECH. DEGREE EXAMINATIONS, DEC 2019

Fifth Semester

EC16502 – PRINCIPLES OF DIGITAL SIGNAL PROCESSING*(Electronics and Communication Engineering)***(Regulation 2016)****Time: Three Hours****Maximum : 100 Marks**Answer **ALL** questions**PART A - (10 X 2 = 20 Marks)**

		CO	RBT
1.	How many multiplications and additions are required to compute N point DFT using radix 2 FFT?	1	R
2.	State the convolution property of DFT.	1	U
3.	What is meant by Gibbs Phenomenon?	2	U
4.	Draw the direct form structure of FIR filter.	2	R
5.	What are the properties of Chebyshev filters?	2	U
6.	Why do we go for analog approximation to design a digital filter?	2	AN
7.	What are the methods used to prevent overflow?	3	R
8.	Compare fixed point and floating point representations.	3	AN
9.	What is anti imaging filter?	4	R
10.	List the applications of multi rate signal processing.	4	R

PART B - (5 X16 = 80 Marks)

11. (a) (i) Compute 8-point DFT of the sequence $x[n]=\{2,1,2,1,1,2,1,2\}$ using Decimation in Frequency (DIF) FFT algorithm. **(12)** **1** **AP**
- (ii) Find the inverse DFT of $Y(K)=\{1,0,1,0\}$ **(4)** **1** **AP**

(OR)

- (b) (i) Perform the linear convolution of the finite duration sequences $h(n) = \{2,1,-1\}$ and $x(n) = \{1,2,3,-1,-2,-3,4,5,6\}$ using overlap add method. **(10)** **1** **AP**
- (ii) Consider two sequences $x[n] = \cos(n\pi/2)$ and $h[n] = 2n$. Determine the output sequence $y[n]$ by circular convolution using concentric circle method. Assume $N = 4$ **(6)** **1** **AP**

12. (a) Design a linear phase FIR High Pass filter with a cut off frequency of $\omega_c = 0.8 \pi$ rad/sample by taking 7 samples of Hamming window sequence. (16) 2 AP

(OR)

- (b) Design a linear phase FIR low pass filter with a cut-off frequency of $(\pi/4)$ rad/sample by taking 9 samples using frequency sampling technique. (16) 2 AP
13. (a) (i) Realize the difference equation using Direct form-I, Direct form-II and Cascade realization structure. (12) 2 AP
 $y(n) = (3/4)y(n-1) - (1/8)y(n-2) + x(n) + (1/3)x(n-1)$.
- (ii) Using Impulse invariant technique, obtain $H(z)$ Given the analog transfer function $H(s) = \frac{2}{(s+1)(s+2)}$ and $T=1$ sec. (4) 2 AP

(OR)

- (b) Design a digital butterworth IIR filter using bilinear transformation method satisfying the constraints. Assume $T=0.5$ sec (16) 2 AP
 $0.707 \leq |H(e^{j\omega})| \leq 1.0$; for $0 \leq \omega \leq 0.45\pi$
 $|H(e^{j\omega})| \leq 0.2$; for $0.65\pi \leq \omega \leq \pi$
14. (a) (i) Derive the quantization input noise power and determine the signal to noise ratio of the system. (8) 3 AP
- (ii) State the need for scaling and derive the scaling factor for a second order IIR filter. (8) 3 U

(OR)

- (b) Explain the characteristics of a limit cycle oscillation with respect to the system described by the difference equation $y(n)=0.95y(n-1)+x(n)$ when the product is quantized to 5 bits including sign bit by rounding, The system is excited by an input $x[n]=0.75$ for $n=0$ and $x[n]=0$ for $n \neq 0$. Also, determine the dead band of the filter. (16) 3 AP
15. (a) How does the sampling rate decrease by an integer factor D ? Derive the input-output relationship in both time and frequency domain. (16) 4 AP

(OR)

- (b) (i) Explain how DSP can be used for sub band coding of signals. (8) 4 U
- (ii) Explain the application of adaptive filtering in equalization. (8) 4 U