

COURSE DELIVERY PLAN - THEORY

Page 1 of 6

| Department of Applied Mathematics | LP: MA22452 |
|---|------------------|
| B.E/B.Tech: (Common to EE/CH) | Rev. No: 0 |
| Regulation: 2022 | Date: 31/01/2024 |
| Sub. Code / Sub. Name : MA22452 NUMERICAL METHODS | |
| Unit : I | |

Unit syllabus: Solution of Equations and Eigen value problems

Solution of algebraic and transcendental equations- Newton Raphson method -Solution of linear system by Gaussian elimination method and Gauss Jordan methods - Iterative methods of Gauss-Seidel method- Inverse of a matrix by Gauss Jordan method-Eigen value of a matrix by Power method.

Objective: To know how to Solve the given algebraic or transcendental equation and linear system of equations.

| Sessio n No | Topics to be covered | Ref | Teaching Method |
|-------------------|--|------------|--------------------|
| -1 | Introduction of the syllabus and Unit I | TB -1&2 | BB/PPT |
| 2 | Newton Raphson method and problems | Pg 38-44 | BB/PPT |
| 3 | Newton Raphson method and problems | Pg 38-44 | BB/PPT |
| 4 | Solution to linear system of equation Gauss elimination method | Pg 80-82 | BB/PPT |
| 5 | Gauss Jordan method | Pg 83-85 | BB/PPT |
| 6 | Gauss Seidal method- problems | Pg 93-97 | BB/PPT |
| 7 | Gauss Seidel method- problems | Pg 93-97 | BB/PPT |
| 3 | Inverse of a matrix by Gauss Jordan method | Pg 106-108 | BB/PPT |
| | Eigen value problems – Power method | Pg 117-120 | BB/PPT |
| 0 | Eigen value problems – Power method | Pg 117-120 | BB/PPT |
| 1 | Tutorial | n eriter | BB/PPT |
| 2 | Summarization of unit I | | BB/PPT |
| ontent | beyond syllabus covered (if any): | 1 / 195 19 | \$10.4A14695 |

^{*} Session duration: 50 minutes



COURSE DELIVERY PLAN - THEORY

Page 2 of 6

Sub. Code / Sub. Name: MA22452 NUMERICAL METHODS

Unit: II

Unit syllabus: Interpolation and Approximation

Interpolation with unequal intervals-Lagrange's Interpolation-Inverse Lagrange's interpolation method – Newton's divided difference interpolation – Interpolation with equal intervals -Newton's forward and back ward difference formulae.

Objective: To Know how to interpolate or extrapolate with the data available.

| Session No | 2: 10 Know now to interpolate of extrapolate with the data | Ref | Teaching Method |
|---------------|--|---------------------|--------------------|
| | Topics to be covered | - 45 - 3 | |
| 13 | Introduction of the syllabus and Unit II | TB.1 & Ref.4 | BB/PPT |
| 14 | Lagrangian polynomial method | Ref 4 Pg 110-113 | BB/PPT |
| 15 | Lagrangian method | Ref 4 Pg 110-113 | BB/PPT |
| 16 | Inverse interpolation using Lagrangian method | Ref 4 Pg 110-113 | BB/PPT |
| 17 | Tutorial | | BB/PPT |
| 18 | Divided differences method | Ref 4 Pg 113-118 | BB/PPT |
| 19 | Divided differences methods and problems | Ref 4 Pg 113-118 | BB/PPT |
| 20 | CATI | - Car | |
| 21 | Newton's Forward differences method | TB 1 Pg 232-238 | BB/PPT |
| 22 | Newton's backward differences method | TB 1 Pg 232-238 | BB/PPT |
| 23 | Tutorial | 1 10.00 | BB/PPT |
| 4 | Summarization of the Unit II | | 1 |
| ontent b | eyond syllabus covered (if any): | | |

^{*} Session duration: 50 minutes



COURSE DELIVERY PLAN - THEORY

Page 3 of 6

Sub. Code / Sub. Name: MA22452 NUMERICAL METHODS

Unit: III

Unit syllabus: Numerical Differentiation and Integration.

Approximation of derivatives using interpolation polynomials— Numerical integration by Trapezoidal, Simpson's 1/3 - Two and three point Gaussian quadrature formulae — Double integrals using Trapezoidal and Simpson's 1/3rules.

Objective: To acquire the knowledge of finding numerical values of differentiations and integrations.

| Session No | Topics to be covered | Ref | Teaching Method |
|---------------|---|----------------------|--------------------|
| 25 | Introduction of the syllabus and Unit III | TB1 & Ref. 4 | BB/PPT |
| 26 | Approximation of derivation using interpolation polynomial | TB 2 Pg 212-214 | BB/PPT |
| 27 | Approximation of derivation using interpolation polynomial | TB 2 Pg 212-214 | BB/PPT |
| | Numerical Integration by Trapezoidal rule and problems | Ref. 4 Pg 156-159 | BB/PPT |
| | Simpson's 1/3 rule and problems | Ref. 4 Pg 156-159 | BB/PPT |
| 0 | Two and three point Gaussian quadrature formulas and problems | TB 1 Pg 265-270 | BB/PPT |
| | Double integration by Trapezoidal method and Problems | Ref 4 Pg 161-163 | BB/PPT |
| | Double integration by Trapezoidal method and Problems | Ref 4 Pg 161-163 | BB/PPT |
| | Jouble Integration by Simpson's 1/3rules and Problems | Ref 4 Pg 161-163 | BB/PPT |
| | ouble integration by Simpson's 1/3rules and Problems | Ref 4 Pg 161-163 | BB/PPT |
| | AT II Ond syllabus covered (if any): | · . | |

^{*} Session duration: 50 minutes



COURSE DELIVERY PLAN - THEORY

Page 4 of 6

Sub. Code / Sub. Name: MA22452 NUMERICAL METHODS

Unit: IV

Unit syllabus: Initial value problems for ODE.

Single step Methods – Taylor's series method- Modified Euler's Method – Fourth order Runge – Kutta method for solving first, second order and simultaneous first order equations – Multistep methods – Milne's and Adams-Bash forth Predicator and corrector methods for solving first order equations.

Objective: To know how to solve the given ODE, numerically.

| Introduction of the syllabus and Unit IV Taylor's series method and Problems Modified Euler method and problems Modified Euler method and problems Fourth order Runge Kutta method for solving first order | Ref. 7 Ref. 7 Pg 352-362 Ref. 7 Pg 371-376 Ref. 7 Pg 371-376 | Method BB/PPT BB/PPT BB/PPT |
|--|--|--|
| Modified Euler method and problems Modified Euler method and problems | Pg 352-362 Ref.7 Pg 371-376 Ref.7 | BB/PPT |
| Modified Euler method and problems | Ref.7 Pg 371-376 Ref.7 | |
| The second secon | Ref.7 | RR/DDT |
| Fourth order Runge Kutta method for solving first order | | DD/FFI |
| equations. | Ref.7 Pg 383-393 | BB/PPT |
| Fourth order Runge Kutta method for solving second order equations | Ref.7 Pg 383-393 | BB/PPT |
| Fourth order Runge Kutta method for solving simultaneous equations | Ref.7 Pg 383-393 | BB/PPT |
| Multi step method -Miline's method and problems | Ref.7 Pg 395-404 | BB/PPT |
| Multi step method -Miline's method and problems | Ref.7 | BB/PPT |
| Adam's method and problems | Ref.7 Pg 404-408 | BB/PPT |
| Adam's method and problems | Ref.7 Pg 404-408 | BB/PPT |
| Summarization of the unit IV | 17.7 | Mill Control |
| Tutorial | | - 1 · · · · · · · · · · · · · · · · · · |
| | Fourth order Runge Kutta method for solving simultaneous equations Multi step method -Miline's method and problems Multi step method -Miline's method and problems Adam's method and problems Adam's method and problems Summarization of the unit IV | Fourth order Runge Kutta method for solving simultaneous equations Ref.7 Pg 383-393 Multi step method -Miline's method and problems Ref.7 Pg 395-404 Multi step method -Miline's method and problems Ref.7 Pg 395-404 Adam's method and problems Ref.7 Pg 404-408 Adam's method and problems Ref.7 Pg 404-408 Summarization of the unit IV |

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COURSE DELIVERY PLAN - THEORY

Page 5 of 6

Sub. Code / Sub. Name: MA22452 NUMERICAL METHODS

Unit: V

Unit syllabus: Boundary value problems in partial differential equations.

Finite difference techniques for the solution of two dimensional Laplace's and Poisson's equations on rectangular domain-One dimensional heat flow equation by explicit and implicit (Crank Nicholson) methods-One dimensional wave equation by explicit method.

Objective: To know how to solve the boundary value problems numerically.

| Session No | | Ref | Teaching Method |
|---------------|---|---------------------|--------------------|
| | Topics to be covered | | - |
| 49 | Introduction of the syllabus and Unit V | TB 1 & Ref.7 | BB/PPT |
| 50 | Two dimensional Laplace equation – problems | TB 1 Pg 351-356 | BB/PPT |
| 51 | Two dimensional Laplace equation – problems | TB 1 Pg 351-356 | BB/PPT |
| 52 | Two dimensional Poisson equation – problems | TB 1 Pg 356-360 | BB/PPT |
| 53 | Two dimensional Poisson equation – problems | TB 1 Pg 356-360 | BB/PPT |
| 54 | One dimensional heat flow equation by explicit method | Ref.7 Pg 441-446 | BB/PPT |
| 55 | One dimensional heat flow equation by explicit method | Ref.7 Pg 441-446 | BB/PPT |
| 56 | One dimensional heat flow equation by implicit(Crank-Nicholson)method | Ref.7 Pg 446-451 | BB/PPT |
| 7 | One dimensional wave equation by explicit method | Ref.7 Pg 452-459 | BB/PPT |
| 8 | Tutorial | | BB/PPT |
| 9 | Summarizing the unit V | | |
| 0 | CAT-III | | |
| Ontent b | evand syllabus 1 //6) | - | 116 |

Content beyond syllabus covered (if any):

^{*} Session duration: 50 minutes



COURSE DELIVERY PLAN - THEORY

Page 6 of 6

Sub. Code / Sub. Name: MA22452 NUMERICAL METHODS

TEXT BOOKS:

- 1. Grewal.B.S., and Grewal.J.S., Numerical methods in Engineering AND Science, Khanna Publishers,9th Edition, New Delhi,2007
- 2. Iyenger.S.R.K. and Jain.R.K, Numerical methods, New Age International Publishers, New Delhi, 2012.
- 3. William Embleton OBE and Leslie Jackson, Reed's Mathematics for Engineers, Adlard Coles Nautical, London, 2011.(for Marine Engineers)

REFERENCES:

- 1. Erwin Kreyszig, Advanced Engineering Mathematics, 7thEdition, Wiley, India, 2007.
- 2. Chapra. S.C., and Canale.R.P., Numerical methods for Engineers, Tata McGraw Hill,5th Edition,
- 3. Brian Braide. A friendly introduction to Numerical Analysis, Pearson Education, Asia, New
- 4. Sankara Rao. K. Numerical methods for Scientists and Engineers, Prentice Hall of India Private, 3rd
- 5. Gerald. C.F., and Wheatley. P.O., Applied Numerical analysis, Pearson education, Asia, 6th edition,
- 6. Venkataraman. M.K., Numerical methods in Science and Engineering, National Publishers, 1995.
- 7. Kandasamy. K., Thilagavathy. K., and Gunavathy. K., Numerical Methods, S. Chand & Company

| | Prepared by | Approved by |
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| Designation | ASSISTANT PROFESSOR | HOD AND DEAN |
| Date Remarks *: | 31/01/2024 | 31/01/2024 |